

## Contents Introduction to Bayesian methods Meta Analysis. Models and Methods. Mantel-Haenzel methods for 2x2 tables



Frequentist vs Bayesian statistics. The probability distribution  $P(D|\theta)$  of our data D depends on some parameter(s)  $\theta$ . Example:  $\underbrace{X_{1},...,X_{n}}_{Data\,D} \sim N(\underbrace{\mu,\sigma^{2}}_{Paramter\,\theta})$ The frequentist regards  $\theta$  as an unknown constant The Bayesian regards  $\theta$  as an (unobserved) random variable from a probability distribution, prior distribution,  $P(\theta)$ . NTNU



















						Ho	spital					
	A	В	С	D	Е	F	G	н	1	J	к	L
No. of operations ( <i>n</i> ) No. of deaths ( <i>r</i> )	47 0	148 18	119 8	810 46	211 8	196 13	148 9	215 31	207 14	97 8	256 29	360







Source	Number ra	andomized	Number dead		
	Lidocaine	Control	Lidocaine	Control	
1. Chopra et al.	39	43	2	1	
2. Mogensen	44	44	4	4	
3. Pitt et al.	107	110	6	4	
4. Darby et al.	103	100	7	5	
5. Bennett et al	110	106	7	3	
5. O'Brian et al.	154	146	11	4	
Total	557	549	37	21	



Source	Specialist care			R	agement		
	Ν	LOS	SD	Ν	LOS	SD	
1. Edinburgh	155	55-0	47-0	156	75-0	64-0	_
2. Orpington-Mild	31	27.0	7.0	32	29.0	4-0	
3. Orpington-Moderate	75	64-0	17.0	71	119-0	29-0	
4. Orpington-Severe	18	66-0	20.0	18	137-0	48-0	
5. Montreal-Home	8	14-0	8-0	13	18-0	11-0	
6. Montreal-Transfer	57	19.0	7.0	52	18-0	4-0	
7. Newcastle 1993	34	52.0	45.0	33	41-0	34-0	
8. Umca 1985	110	21.0	16.0	183	31-0	27-0	
9. Uppsala 1982	60	30-0	27.0	52	23-0	20-0	
Total	548			610			









26			1	
	Risk differer Etimators an	aces, relative risks, od d confidence interval	lds ratios s as described in Rosner (2005), Se	ection 13.3
		Estimator	Standard deviation	
	Risk difference	$d_i = \hat{p}_{\tau_i} - \hat{p}_{Ci}$	$s_{d_i} = \sqrt{\frac{p_{Ti}(1 - p_{Ti})}{n_{Ti}} + \frac{p_{Ci}(1 - p_{Ci})}{n_{Ci}}}$	~
	Relative risk (Risk ratio)	$r_i = \hat{p}_{Ti} / \hat{p}_{Ci}$	$s_{Log(\tau_{i})} = \sqrt{\frac{1 - p_{\tau_{i}}}{n_{\tau_{i}} p_{\tau_{i}}} + \frac{1 - p_{c_{i}}}{n_{c_{i}} p_{c_{i}}}}$	
	Odds ratio	$\omega_{i} = \frac{\hat{p}_{Ti} / (1 - \hat{p}_{Ti})}{\hat{p}_{Ci} / (1 - \hat{p}_{Ci})}$	$S_{Log(a_i)} = \sqrt{\frac{1}{a_i} + \frac{1}{b_i} + \frac{1}{c_i} + \frac{1}{d_i}}$	
				TNU skapende universitet
www.nt	nu.no			





























































and Hill	1 (1950).		
se 13.9 -	13.15		
1		1	
smoke	non- smoke	total	
647	2	649	
622	27	649	
1269	29	1298	
smoke	non- smoke	total	
41	19	60	
28	32	60	
69	51	120	
	e 13.9 - smoke 647 622 1269 smoke 41 28 60	and rim (1750),           e 13.9 - 13.15           smoke           non-smoke           647           2           622           27           1269           smoke           non-smoke           smoke           41           19           28           60	and Time (1950),       e 13.9 - 13.15       smoke     non- smoke       647     2       649       622     27       649       1269     29       1298   smoke       non- smoke     total       41     19       60     60

		050/ - :		
Man		95% C.1.	p-value	
Men	14.1	3.3 to 59	2./E-0	
Women	2.47	1.2 to 5.2	0.017	
exact Sta	tXact	T		
	estimate	95% c.i.	p-value	
Men	14.1	3.5 to 122	1.3E-6	
Women	2.47	1.1 to 5.6	0.026	
Test for h	omogeneity	y of OR: stic = 5.21, d	f=1, p=0.02	22



